

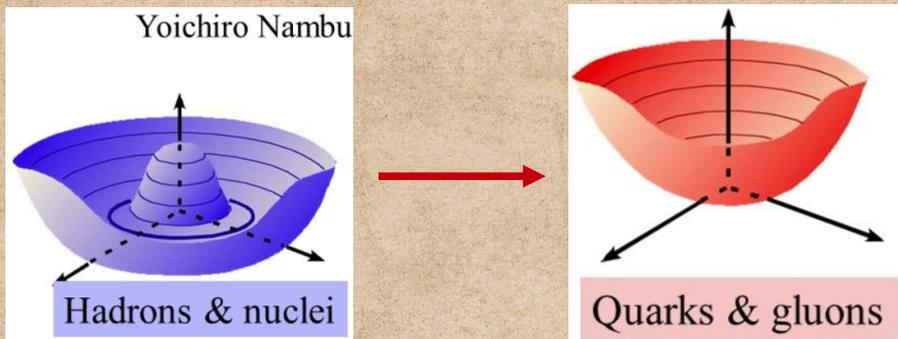
Understanding of STAR Group-1 Results on the CME in Isobar Collisions

Gang Wang (UCLA)

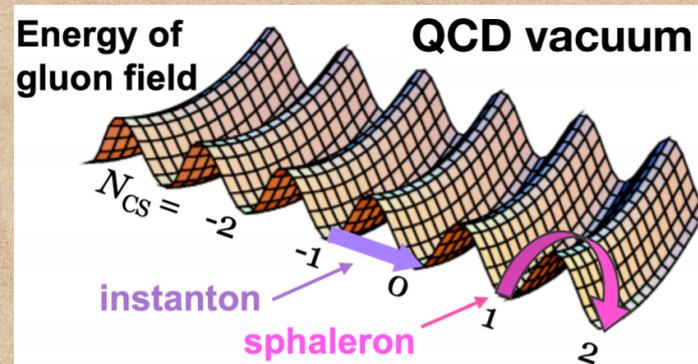
Based on STAR data ([arXiv:2109.00131](https://arxiv.org/abs/2109.00131))

CME: $J \propto \mu_5 B$

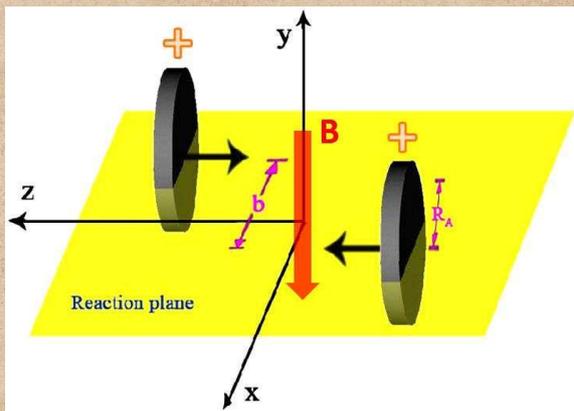
1 Chiral symmetry restoration (massless quarks)



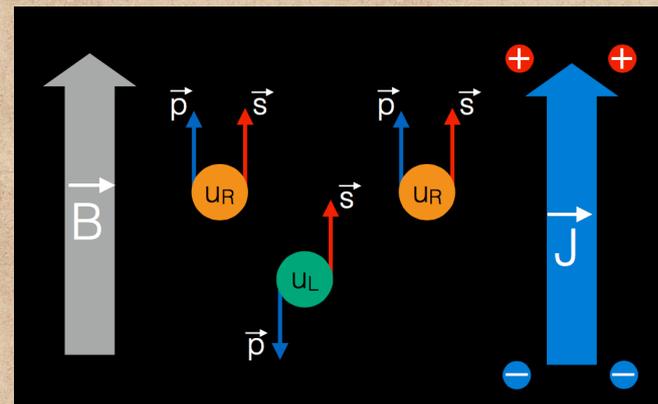
2 Chirality imbalance (finite μ_5)



3 Strong magnetic field (B)



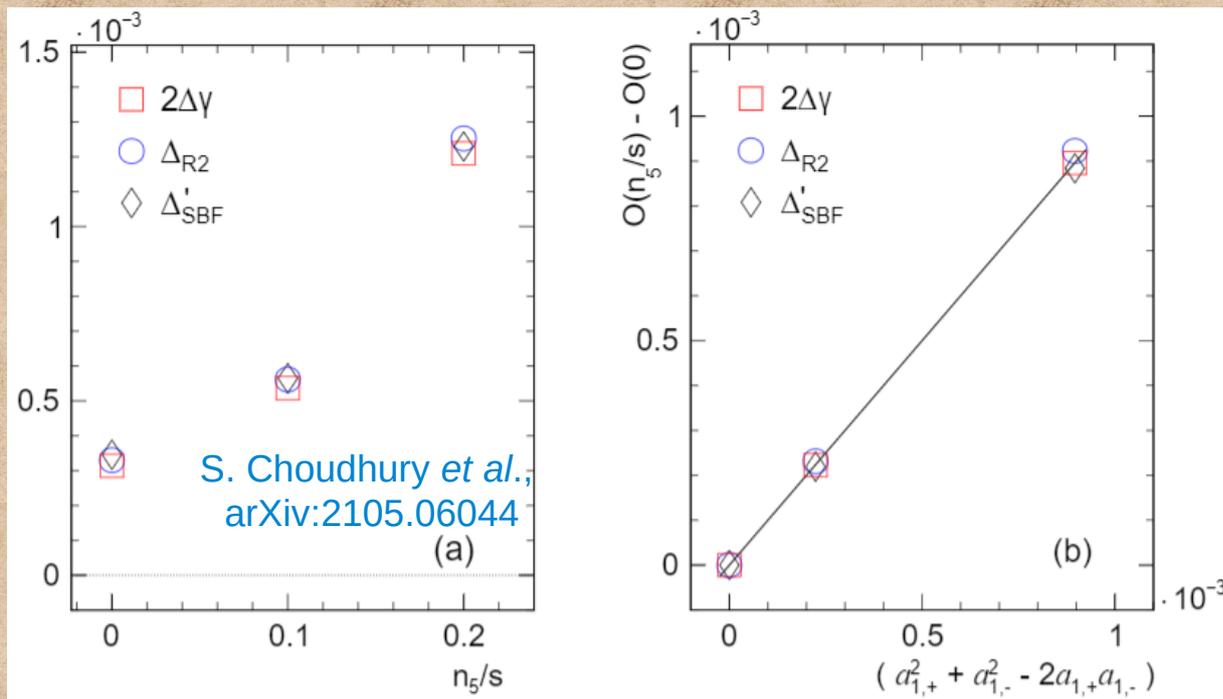
4 Chiral Magnetic Effect ($J \parallel B$)



Observables in Search of CME

Various CME-sensitive observables on the market:

- γ correlator S.A. Voloshin, Phys. Rev. C,70, 057901 (2004)
- R correlator N. N. Ajitanand *et al.*, Phys. Rev. C83, 011901(R) (2011)
- Signed balance functions A.H. Tang, Chin. Phys. C,44, No.5 054101 (2020)



AVFD simulations show that these methods have **similar sensitivities** to the CME signal and to the background.

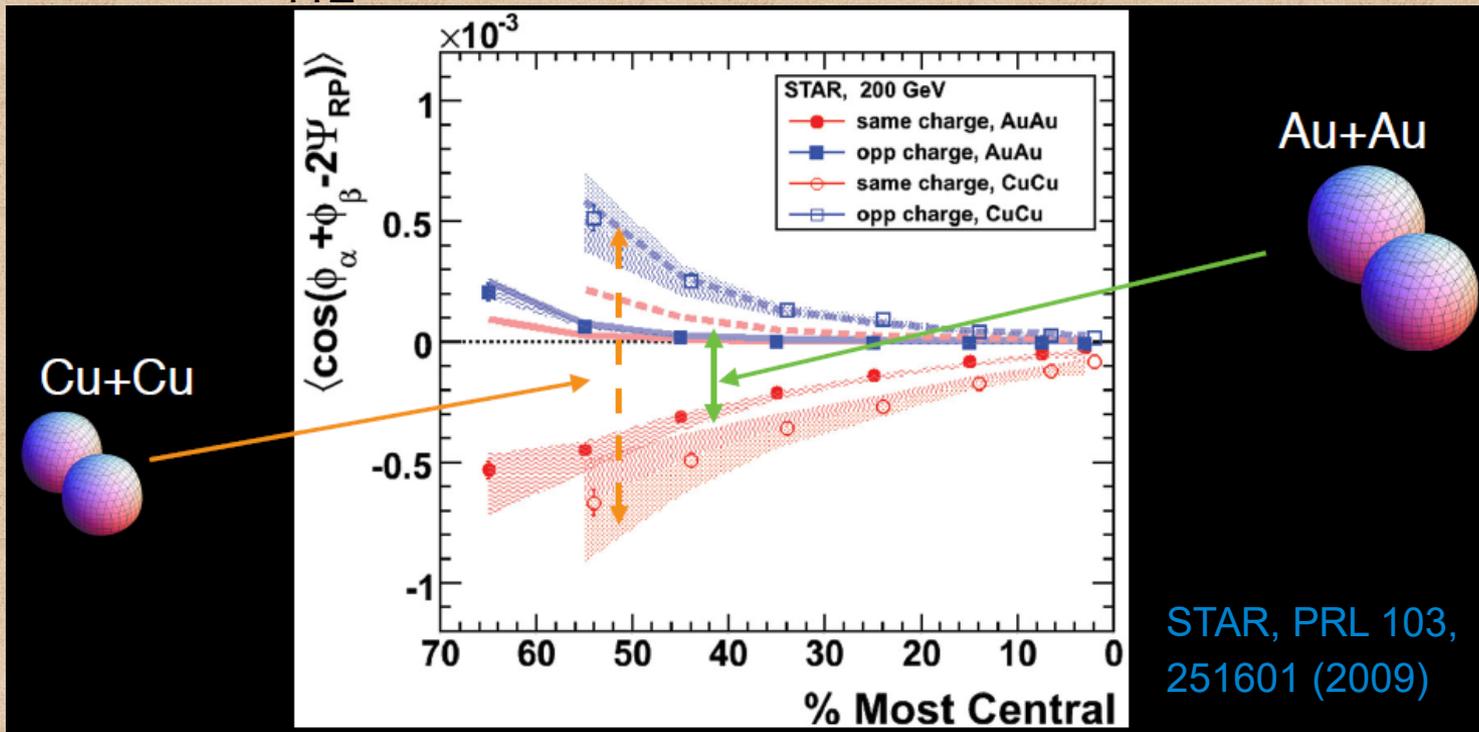
Here we focus on

$$\gamma_{112} \equiv \langle \cos(\phi_\alpha + \phi_\beta - 2\Psi_2) \rangle$$

And the CME should cause

$$\Delta\gamma_{112} \equiv \gamma_{112}^{\text{OS}} - \gamma_{112}^{\text{SS}} > 0$$

$\Delta\gamma_{112}$ measurements at RHIC



The positively finite $\Delta\gamma_{112}$ could contain contributions from:

- CME
- Flow-related background $\propto v_2$
- Nonflow-related background (di-jets)

Isobar program: long journey since 2010

Testing the Chiral Magnetic Effect with Central $U + U$ Collisions

Sergei A. Voloshin
Phys. Rev. Lett. **105**, 172301 – Published 19 October 2010

ABSTRACT

A quark interaction with topologically nontrivial gluonic fields, instantons and sphalerons, violates \mathcal{P} and \mathcal{CP} symmetry. In the strong magnetic field of a noncentral nuclear collision such interactions lead to the charge separation along the magnetic field, the so-called chiral magnetic effect (CME). Recent results from the STAR collaboration on charge dependent correlations are consistent with theoretical expectations for CME but may have contributions from other effects, which prevents definitive interpretation of the data. Here I propose to use central body-body $U + U$ collisions to disentangle correlations due to CME from possible background correlations due to elliptic flow. Further, more quantitative studies can be performed with collision of isobaric beams.

The isobar idea was first mentioned in Voloshin's paper.

Then examined by many detailed studies, committees, workshops

And 3 years of Beam Use Request by STAR (2015-2017)

Testing the chiral magnetic effect with isobaric collisions

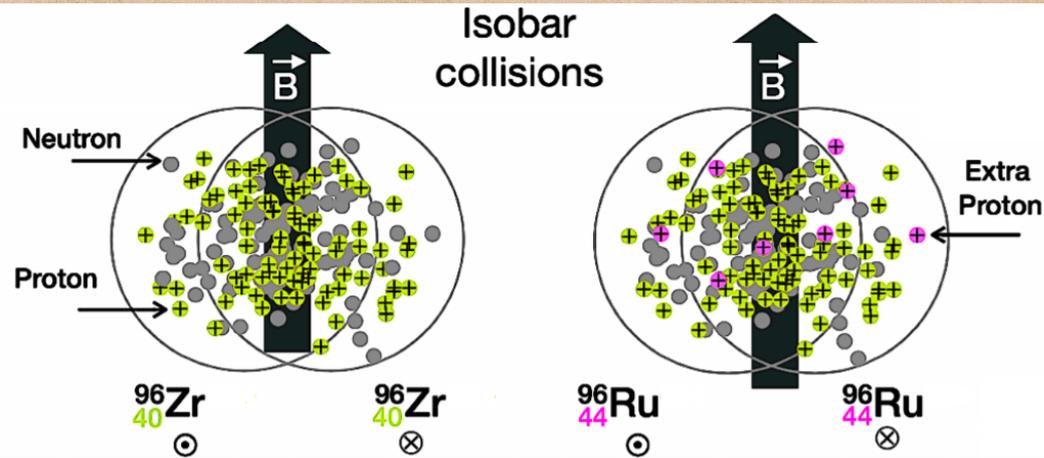
Wei-Tian Deng, Xu-Guang Huang, Guo-Liang Ma, and Gang Wang
Phys. Rev. C **94**, 041901(R) – Published 28 October 2016

Chinese Physics C > 2017, Vol. 41 > Issue(7) : 072001 DOI: 10.1088/1674-1137/41/7/072001

Status of the chiral magnetic effect and collisions of isobars

Volker Koch¹, Soeren Schlichting², Vladimir Skokov³, Paul Sorensen², Jim Thomas¹, Sergei Voloshin⁴, Gang Wang⁵, Ho-Ung Yee^{3,6}

Isobar collisions: prospect



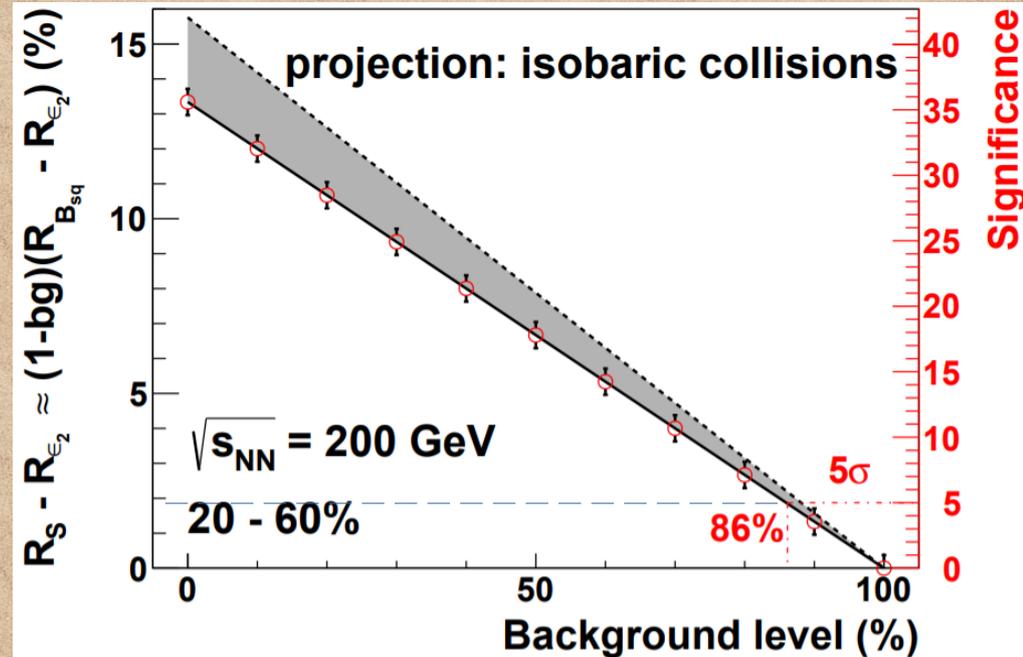
Isobar collisions provide best possible control of signal and background.

2.5 B events per species:

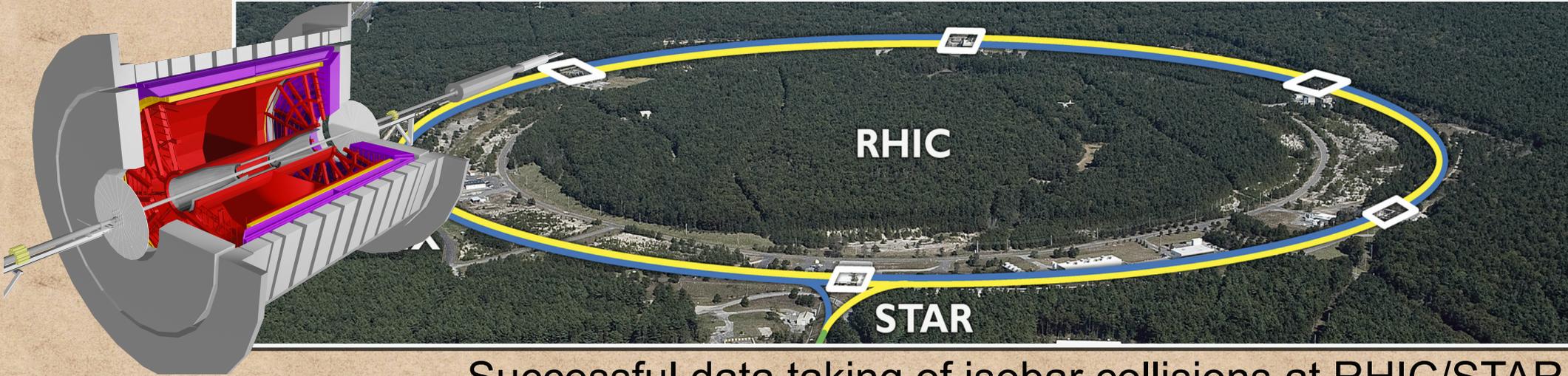
- uncertainty of **0.4%** in the $\Delta\gamma/v_2$ ratio.
- if $f_{\text{CME}} > 14\%$, $\Delta\gamma_{112}/v_2$ difference $> 2\%$, yielding a **5 σ** significance.
- f_{CME} is the unknown signal fraction in $\Delta\gamma_{112}$.

Compare the two isobaric systems:

- CME: B-field² is $\sim 13\%$ larger in Ru+Ru
- Flow-related BKG: utilize $\Delta\gamma_{112}/v_2$
- Nonflow-related BKG: almost same



Isobar program: data collection in 2018



Successful data taking of isobar collisions at RHIC/STAR

arXiv.org > nucl-ex > arXiv:2109.00131

Search...
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Nuclear Experiment

[Submitted on 1 Sep 2021]

Search for the Chiral Magnetic Effect with Isobar Collisions at $\sqrt{s_{NN}} = 200$ GeV by the STAR Collaboration at RHIC

STAR Collaboration: M. S. Abdallah, B. E. Aboona, J. Adam, L. Adamczyk, J. R. Adams, J. K. Adkins, G. Agakishiev, I. Aggarwal, M. M. Aggarwal, Z. Ahammed, I. Alekseev, D. M. Anderson, A. Aparin, E. C. Aschenauer, M. U. Ashraf, F. G. Atetalla, A. Attri, G. S. Averichev, V. Bairathi, W. Baker, J. G. Ball Cap, K. Barish, A. Behera, R. Bellwied, P. Bhagat, A. Bhasin, J. Bielcik, J. Bielcikova, I. G. Bordyuzhin, J. D. Brandenburg, A. V. Brandin, I. Bunzarov, X. Z. Cai, H. Caines, M. Calderón de la Barca Sánchez, D. Cebra, I. Chakaberia, P. Chaloupka, B. K. Chan, F.-H. Chang, Z. Chang, N. Chankova-Bunzarova, A. Chatterjee, S. Chattopadhyay, D. Chen, J. Chen, J. H. Chen, X. Chen, Z. Chen, J. Cheng, M. Chevalier, S. Choudhury, W. Christie, X. Chu, H. J. Crawford, M. Csanád, M. Daugherty, T. G. Dedovich, I. M. Deppner, A. A. Derevschikov, A. Dhamija, L. Di Carlo, L. Didenko, P. Dixit, X. Dong, J. L. Drachenberg, E. Duckworth, J. C. Dunlop, N. Eelsey, J. Engelage, G. Eppley, S. Esumi, O. Evdokimov, A. Ewigleben, O. Eyer, R. Fatemi, F. M. Fawzi, S. Fazio, P. Federic, J. Fedorisin, C. J. Feng, Y. Feng, P. Filip, E. Finch, Y. Fisyak, A. Francisco, C. Fu, L. Fulek, C. A. Gagliardi, T. Galatyuk, F. Geurts, N. Ghimire, A. Gibson, K. Gopal, X. Gou, D. Grosnick, A. Gupta, W. Guryn, A. I. Hamad et al. (298 additional authors not shown)

The chiral magnetic effect (CME) is predicted to occur as a consequence of a local violation of \mathcal{P} and \mathcal{CP} symmetries of the strong interaction amidst a strong electro-magnetic field generated in relativistic heavy-ion collisions. Experimental manifestation of the CME involves a separation of positively and negatively charged hadrons along the direction of the magnetic field. Previous measurements of the CME-sensitive charge-separation observables remain inconclusive because of large background contributions. In order to better control the influence of signal and backgrounds, the STAR Collaboration performed a blind analysis of a large data sample of approximately 3.8 billion isobar collisions of $^{96}_{44}\text{Ru}+^{96}_{44}\text{Ru}$ and $^{96}_{40}\text{Zr}+^{96}_{40}\text{Zr}$ at $\sqrt{s_{NN}} = 200$ GeV. Prior to the blind analysis, the CME signatures are predefined as a significant excess of the CME-sensitive observables in Ru+Ru collisions over those in Zr+Zr collisions, owing to a larger magnetic field in the former. A precision down to 0.4% is achieved, as anticipated, in the relative magnitudes of the pertinent observables between the two isobar systems. Observed differences in the multiplicity and flow harmonics at the matching centrality indicate that the magnitude of the CME background is different between the two species. No CME signature that satisfies the predefined criteria has been observed in isobar collisions in this blind analysis.

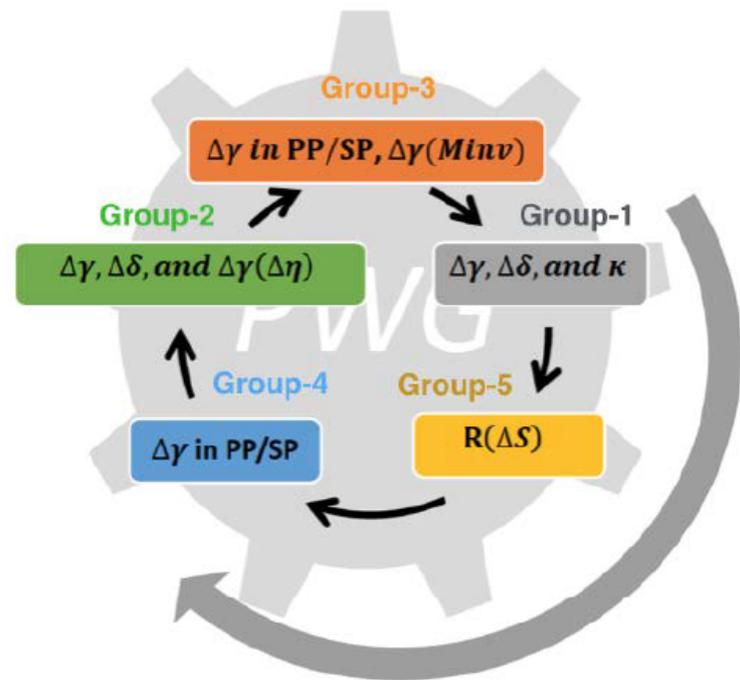
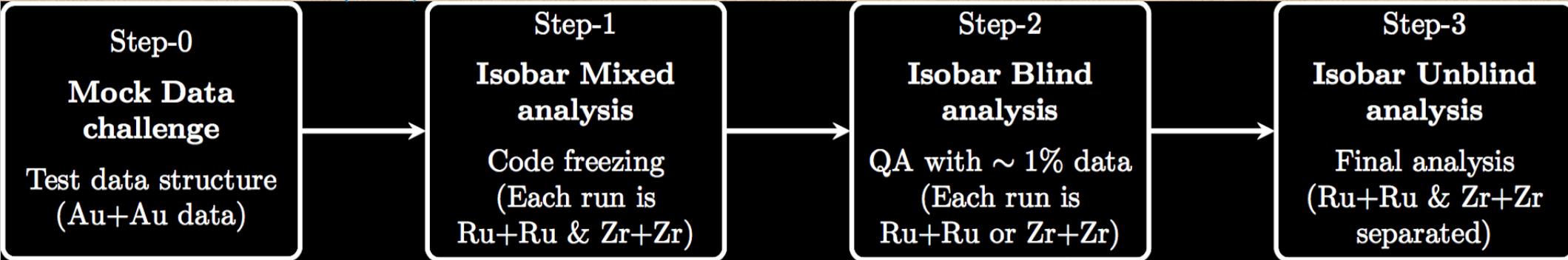
Comments: 43 pages, 27 figures

Subjects: Nuclear Experiment (nucl-ex); High Energy Physics - Experiment (hep-ex); High Energy Physics - Phenomenology (hep-ph); Nuclear Theory (nucl-th)

Now after 3 years and many people's effort...

Steps of isobar blind analysis

STAR, Nucl. Sci. Tech. 32 (2021) 48

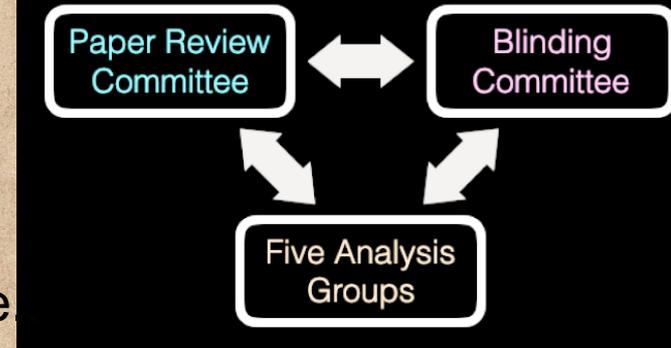


Blinding committee decides the procedure.

Five independent groups run each other's frozen code.

No access to species-specific information until last step. Everything documented (**not written** → **not allowed**)

Case for CME & interpretation must be pre-defined.



Centrality definition

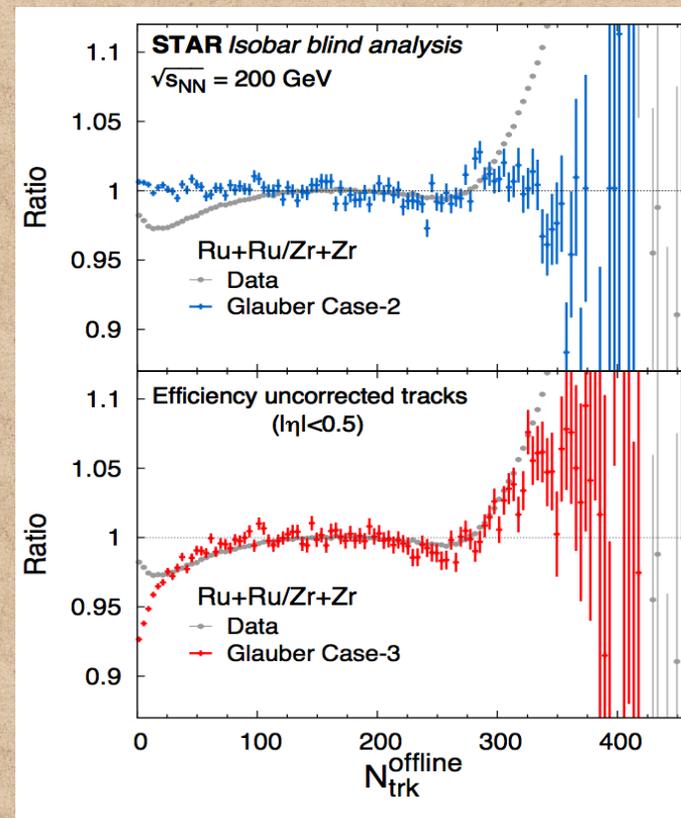
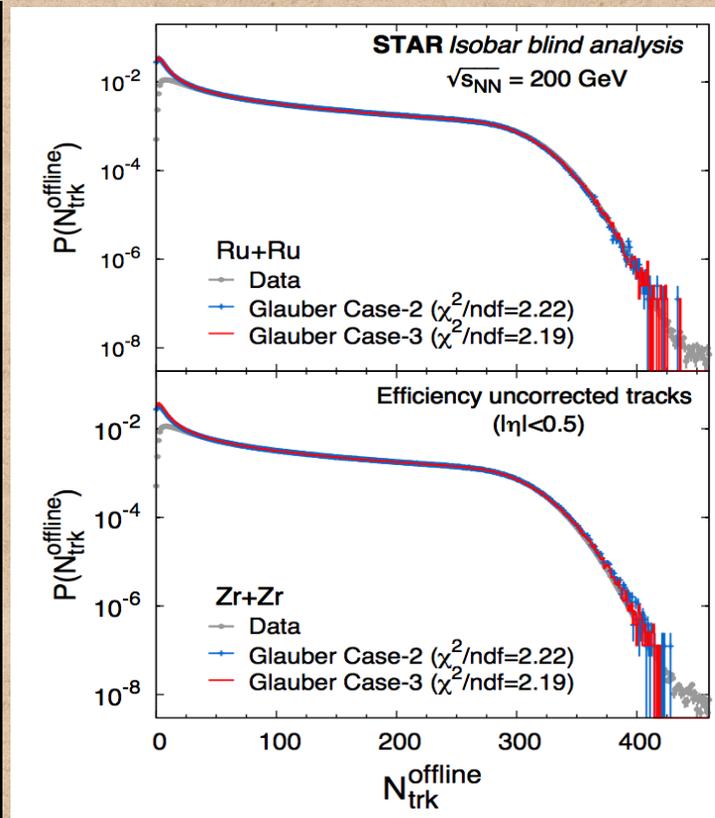
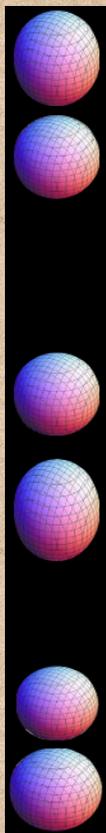
Blind analysis: compare observables at **matching centrality** between two isobar systems.

Case-1 [83]			
Nucleus	R (fm)	a (fm)	β_2
$^{96}_{44}\text{Ru}$	5.085	0.46	0.158
$^{96}_{40}\text{Zr}$	5.02	0.46	0.08

Deng *et al.*, PRC 94,
041901 (2016)

Case-2 [83]			
Nucleus	R (fm)	a (fm)	β_2
$^{96}_{44}\text{Ru}$	5.085	0.46	0.053
$^{96}_{40}\text{Zr}$	5.02	0.46	0.217

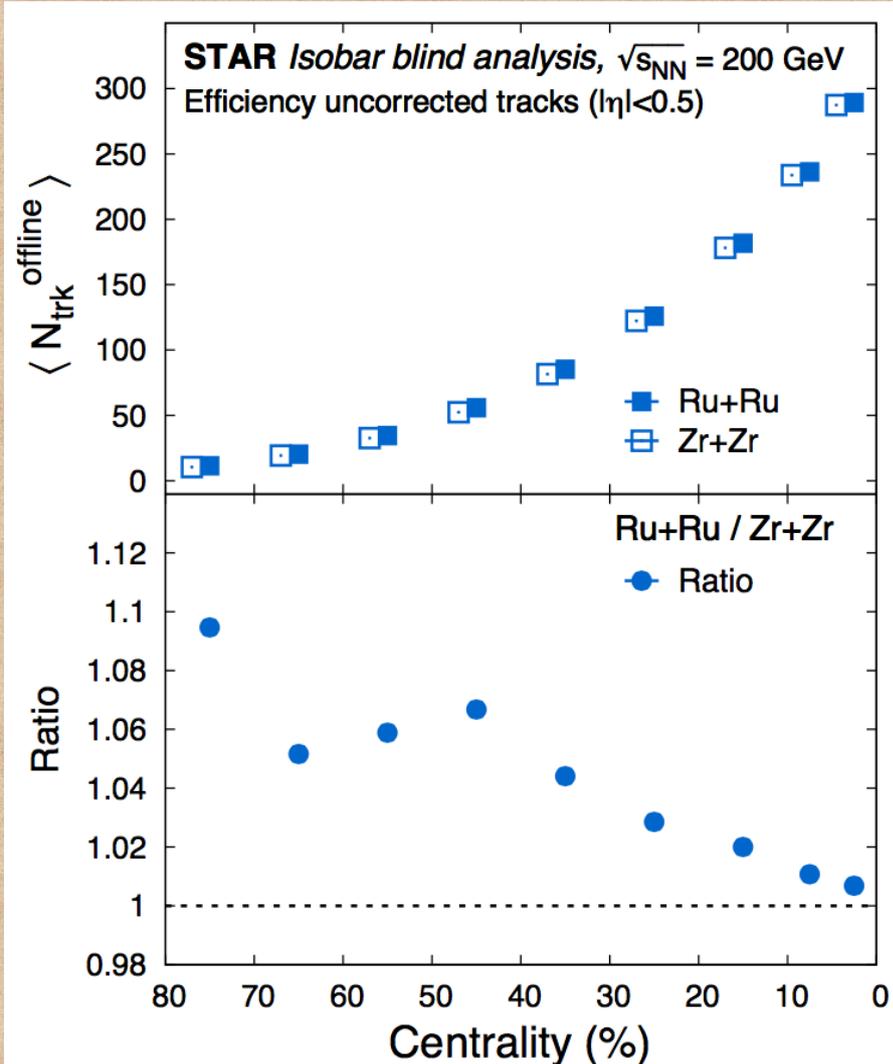
Case-3 [113]			
Nucleus	R (fm)	a (fm)	β_2
$^{96}_{44}\text{Ru}$	5.067	0.500	0
$^{96}_{40}\text{Zr}$	4.965	0.556	0



MC-Glauber model fits the uncorrected multiplicity distribution. Woods-Saxon parameters with thicker neutron skin in Zr (no deformation) gives the best fit of the multiplicity distributions. 9

Xu *et al.*, PRL. 121,
022301 (2018)

Multiplicity mismatch



Case-3 (thicker neutron skin in Zr and zero β_2) gives the **best fit** of the multiplicity distributions.

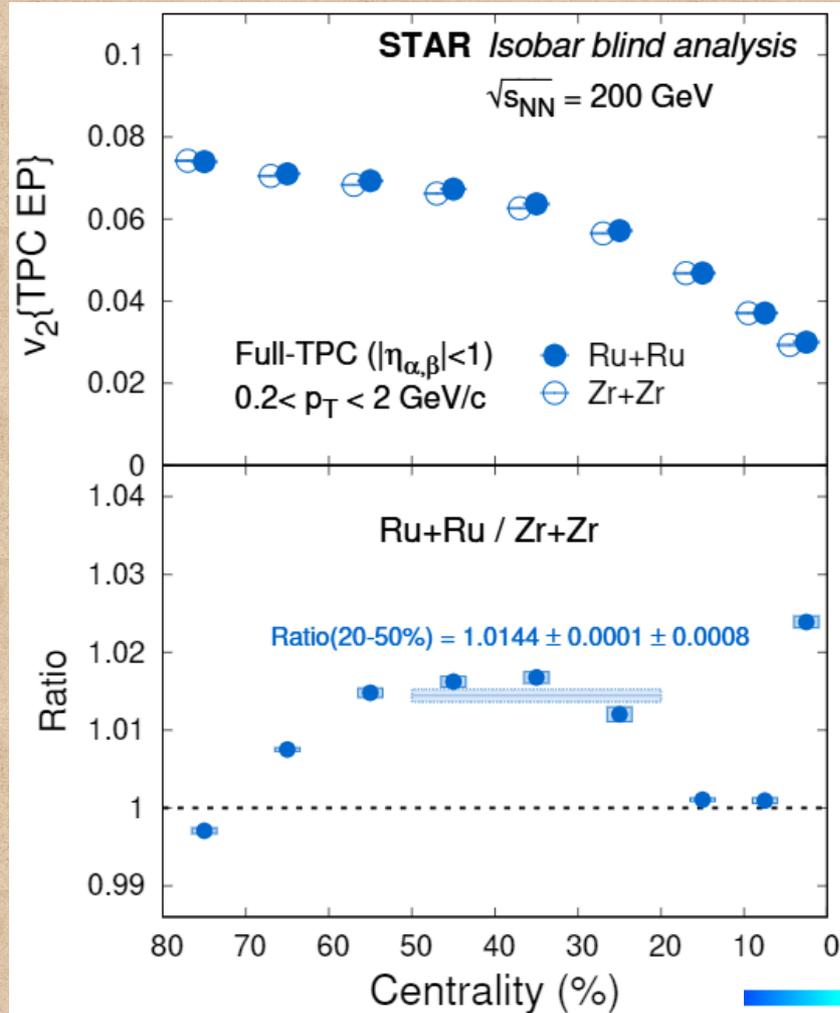
However, multiplicity (efficiency uncorrected) is larger in Ru+Ru than in Zr+Zr in such matching centrality.

This can affect background (and signal) difference between the two isobaric systems.

Case-1 and **Case-2** give (almost) the **same multiplicity** in Ru+Ru and Zr+Zr, but they don't describe the multiplicity distribution so well.

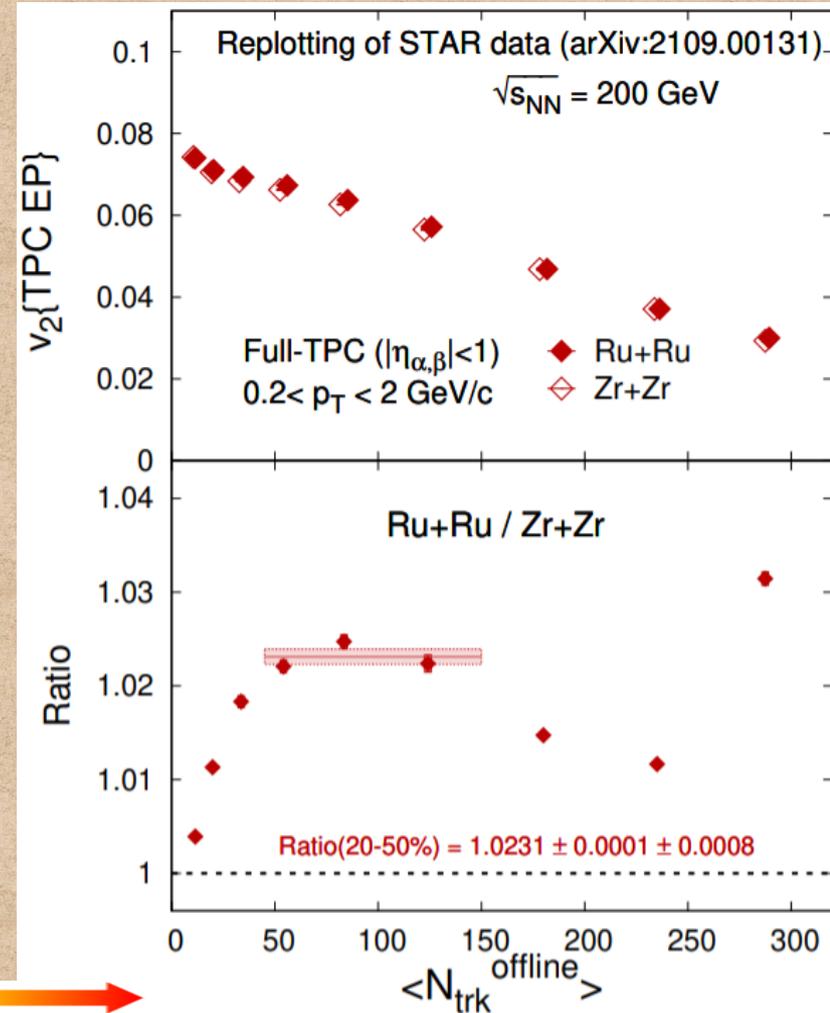
In the end, the blind analysis sticks to **Case-3**.

v_2 ratio

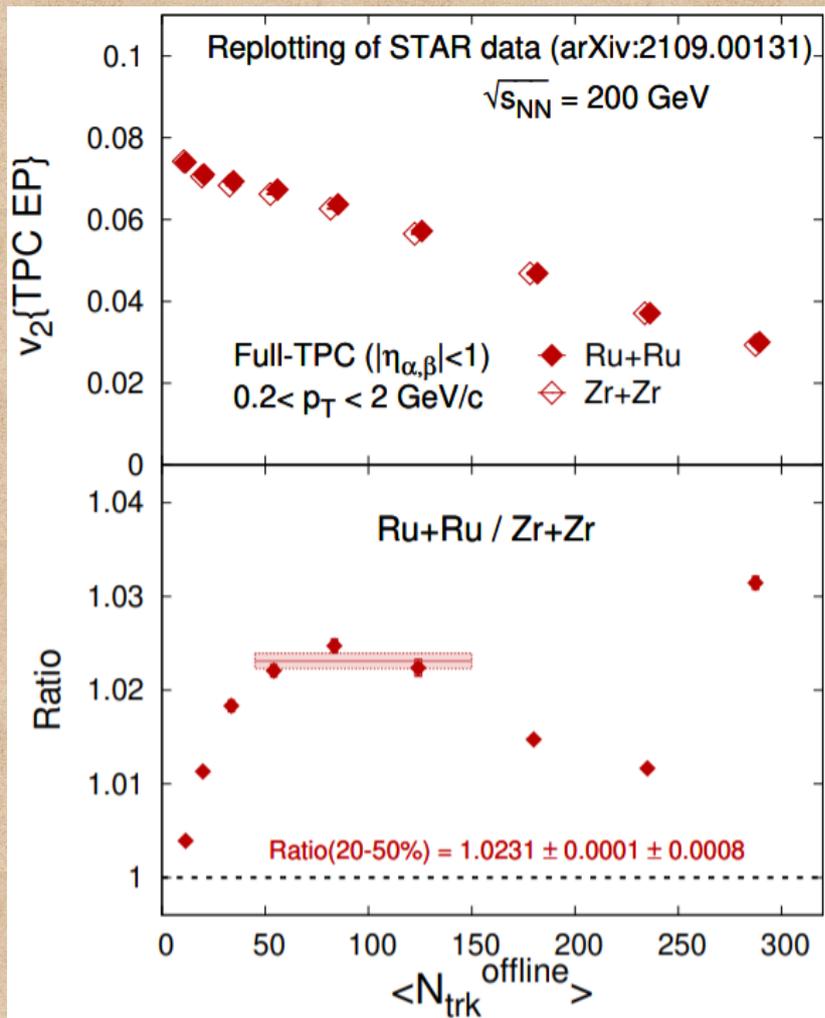


The v_2 ratio of Ru+Ru to Zr+Zr becomes larger when the x-axis changes to multiplicity.

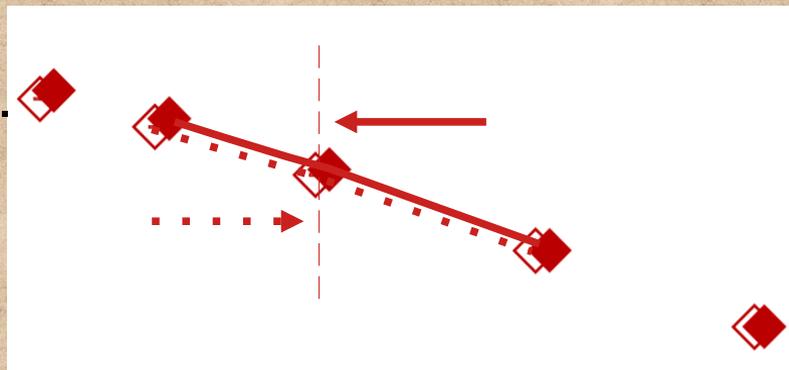
This ratio enhancement is true for all other observables.



Interpolation: my personal approach



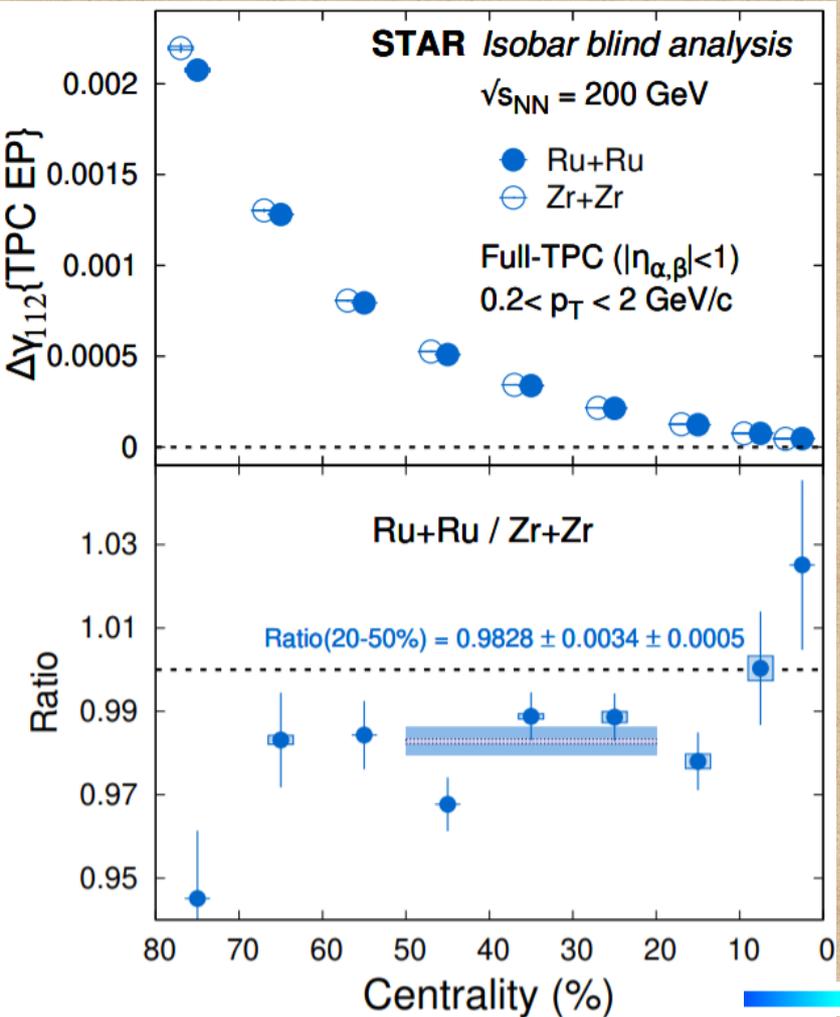
3 adjacent points
determine a unique
2nd-order polynomial.



Shift Ru+Ru curve
slightly to the left;
Shift Zr+Zr curve
slightly to the right;
Both to the same
point: $(M_{RuRu} + M_{ZrZr})/2$.

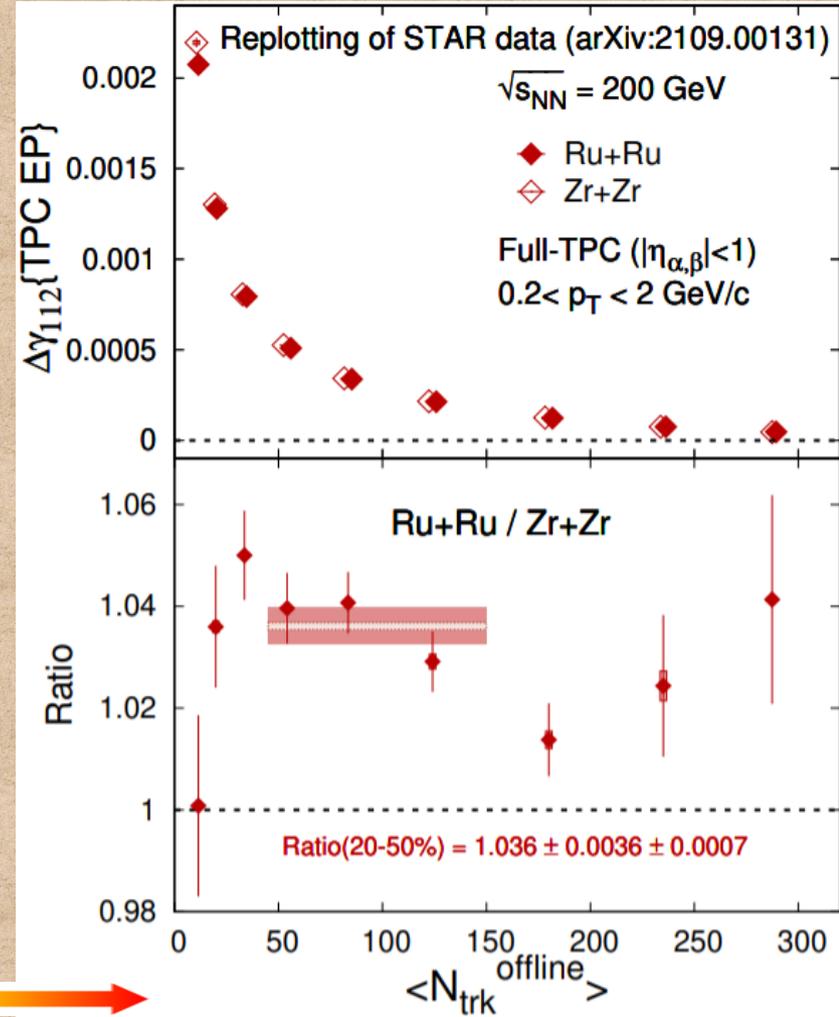
The right-most Ru+Ru point is projected to
the location of the right-most Zr+Zr point.
The left-most Zr+Zr point is projected to
the location of the left-most Ru+Ru point.

$\Delta\gamma_{112}$ ratio

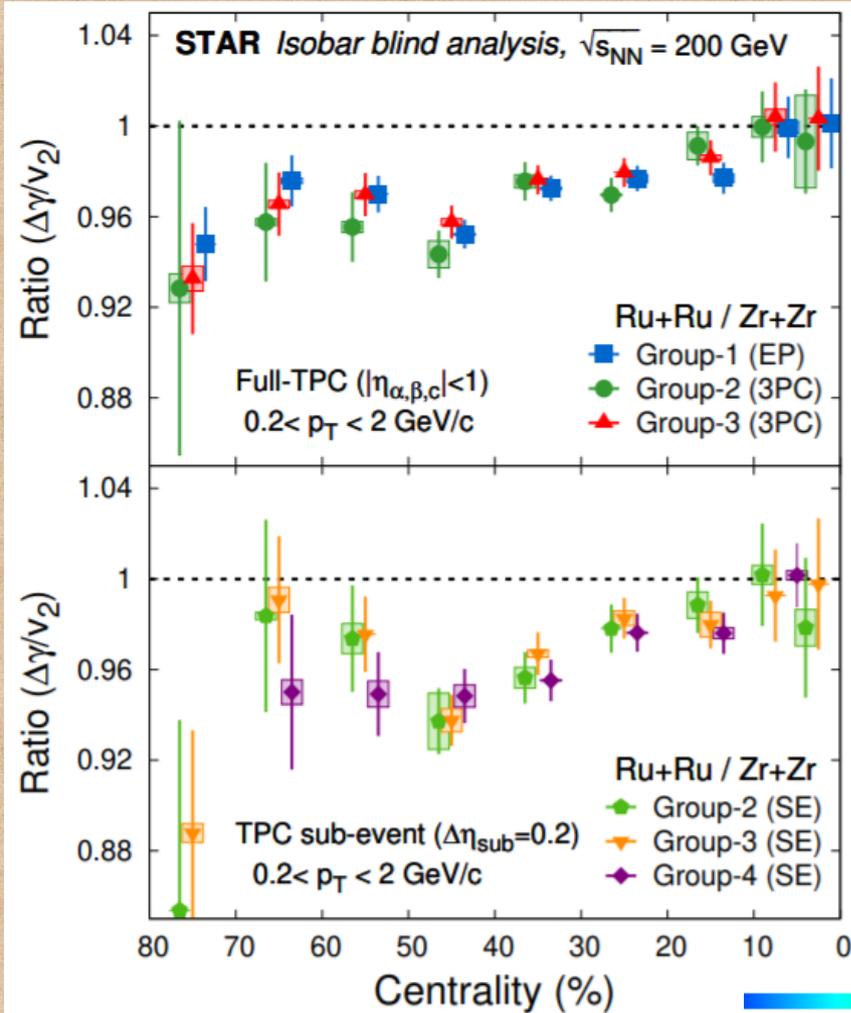


At matching multiplicity, the $\Delta\gamma_{112}$ ratio goes above unity.

This is more reasonable even in the pure BKG scenario (since v_2 ratio is above unity).



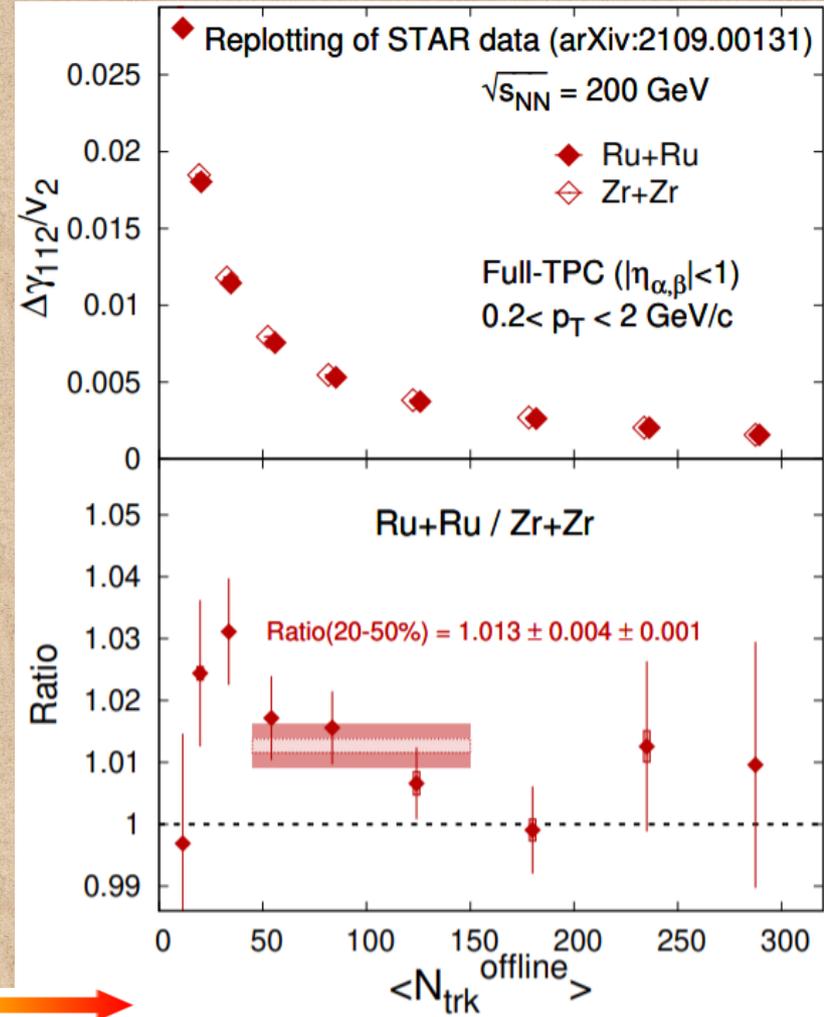
$\Delta\gamma_{112}/v_2$ ratio



Different groups show good consistency.

At matching multiplicity, the $\Delta\gamma_{112}/v_2$ ratio goes above unity.

If we stop here, we are good with a 3σ effect. **But...**



Small interpolation before taking ratios. 14

$\Delta\gamma_{112}/v_2$ may be not enough

$$\begin{aligned}\gamma_{112} &\equiv \langle \cos(\phi_\alpha + \phi_\beta - 2\Psi_2) \rangle \\ &= \langle \cos(\phi_\alpha - \phi_\beta + 2\phi_\beta - 2\Psi_2) \rangle \\ &= \langle \cos(\phi_\beta - \phi_\alpha) \cos(2\phi_\beta - 2\Psi_2) \rangle + \langle \sin(\phi_\beta - \phi_\alpha) \sin(2\phi_\beta - 2\Psi_2) \rangle \\ &= \delta \cdot v_2 + \langle\langle \cos(\phi_\beta - \phi_\alpha) \cos(2\phi_\beta - 2\Psi_2) \rangle\rangle + \langle\langle \sin(\phi_\beta - \phi_\alpha) \sin(2\phi_\beta - 2\Psi_2) \rangle\rangle\end{aligned}$$

$$v_2 = \langle \cos(2\phi - \Psi_2) \rangle$$

×

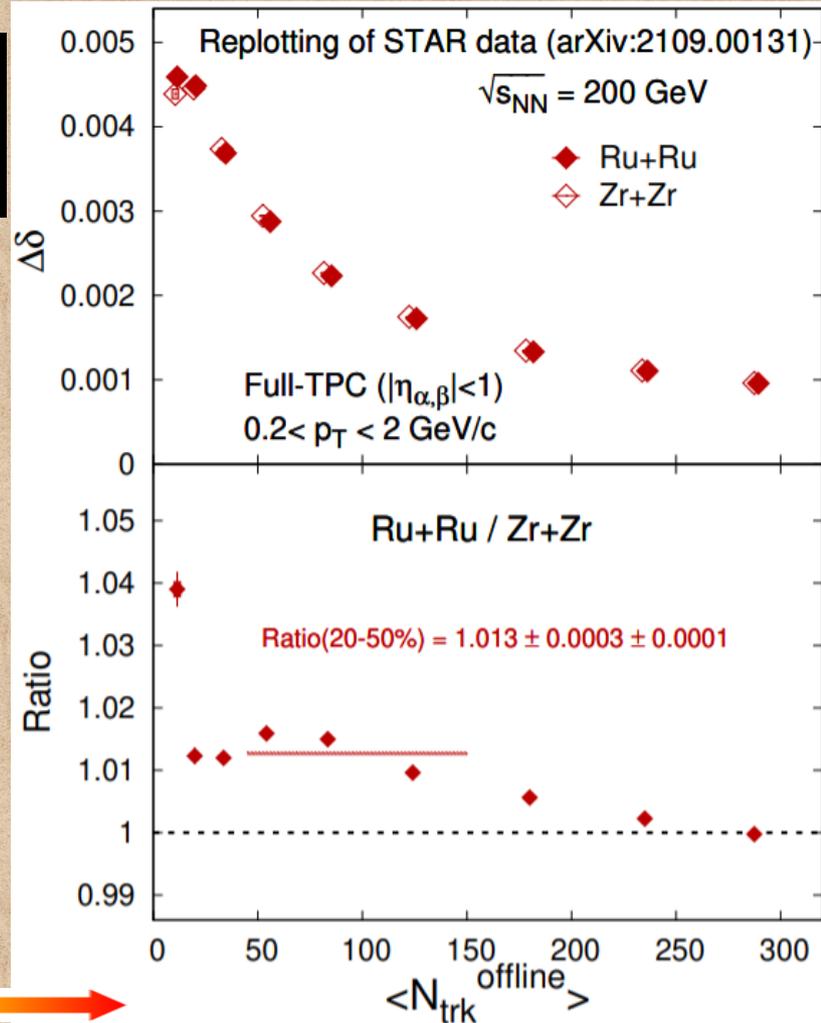
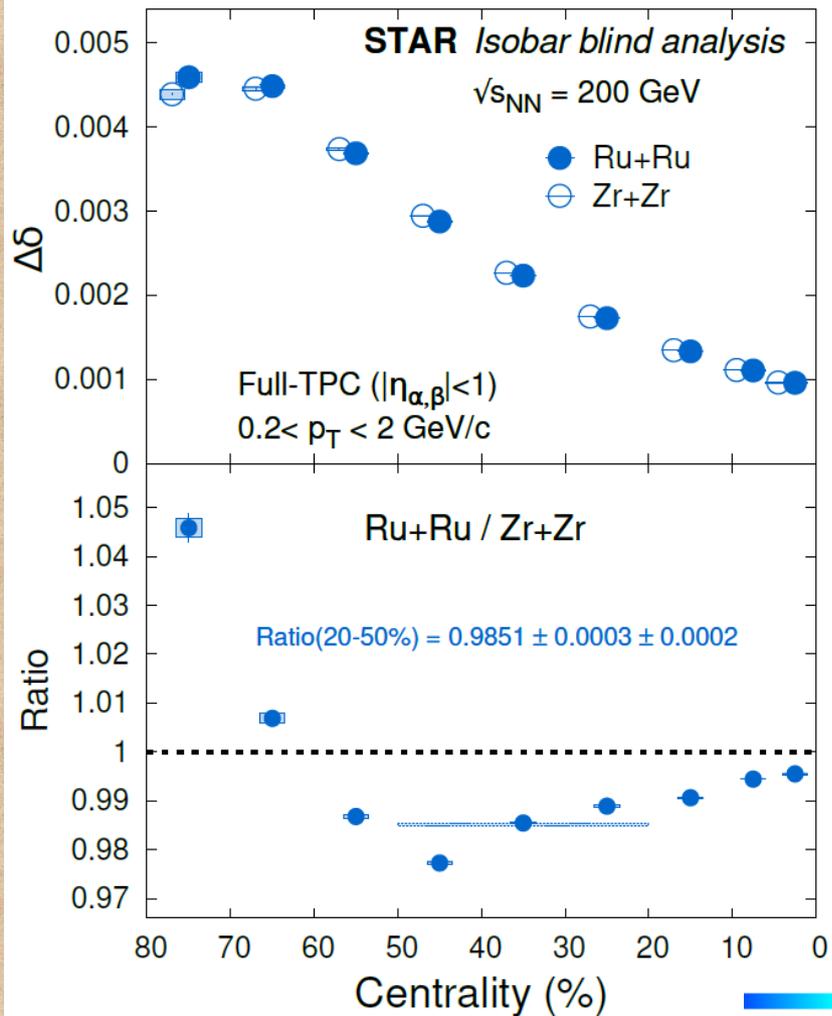
$$\delta = \langle \cos(\phi_\alpha - \phi_\beta) \rangle$$

The cumulant, $\langle\langle \dots \rangle\rangle$, denotes the “true” correlation between a and b ,
 $\langle\langle a^*b \rangle\rangle \equiv \langle a^*b \rangle - \langle a \rangle \langle b \rangle$.

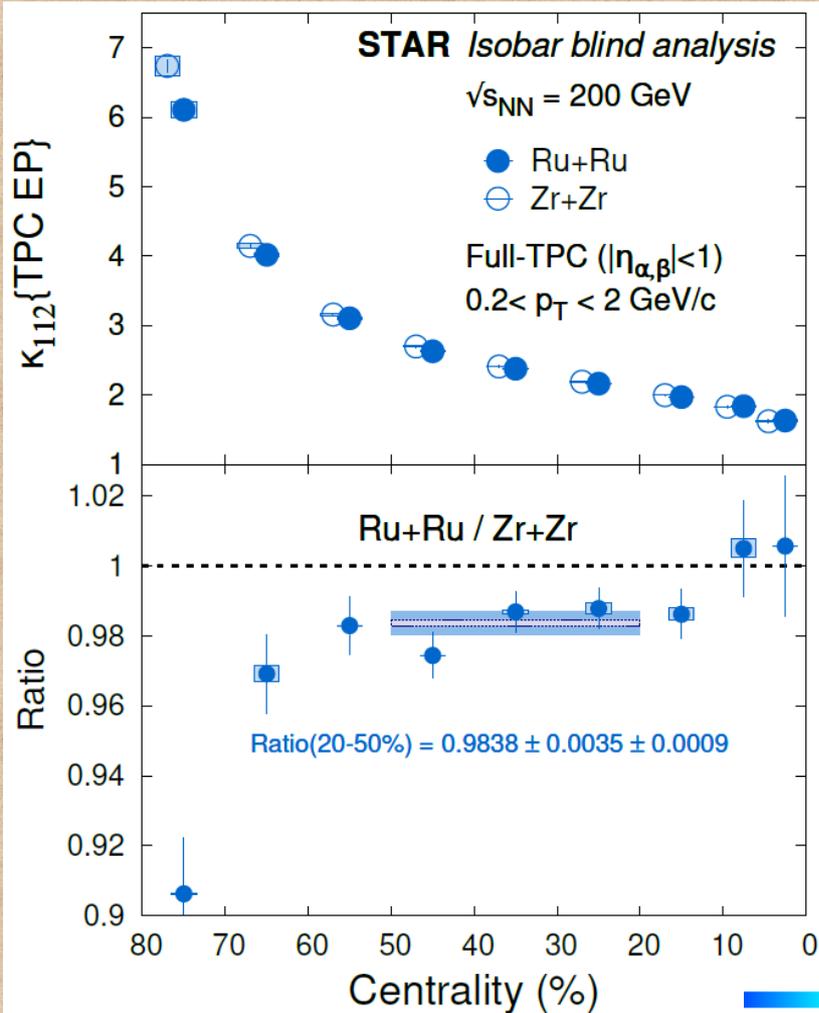
$$\kappa_{112} \equiv \frac{\Delta\gamma_{112}}{v_2 \cdot \Delta\delta}$$

κ_{112} considers one more BKG factor than $\Delta\gamma_{112}/v_2$.

$\Delta\delta$ ratio



$$\kappa_{112} \text{ ratio} \approx 1 + 13\% f_{\text{CME}}$$



$$\kappa_{112} \equiv \frac{\Delta\gamma_{112}}{v_2 \cdot \Delta\delta}$$

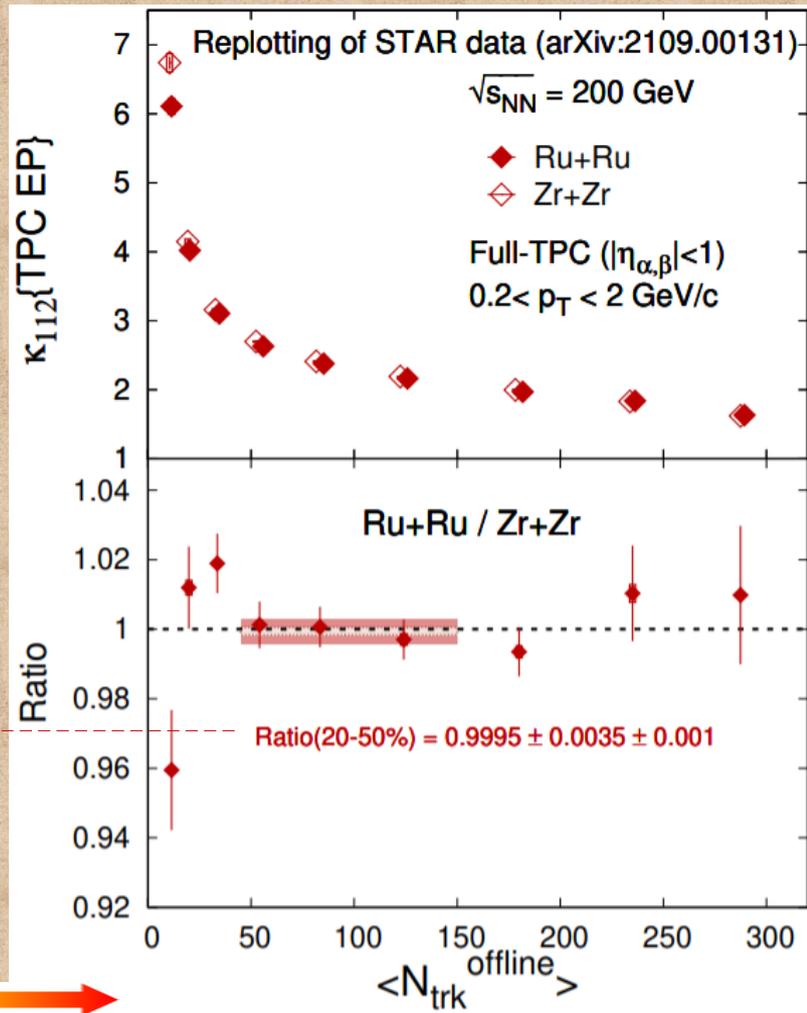
Pre-defined CME signature,

$$\frac{\kappa_{112}^{\text{Ru+Ru}}}{\kappa_{112}^{\text{Zr+Zr}}} > 1$$

is NOT seen.

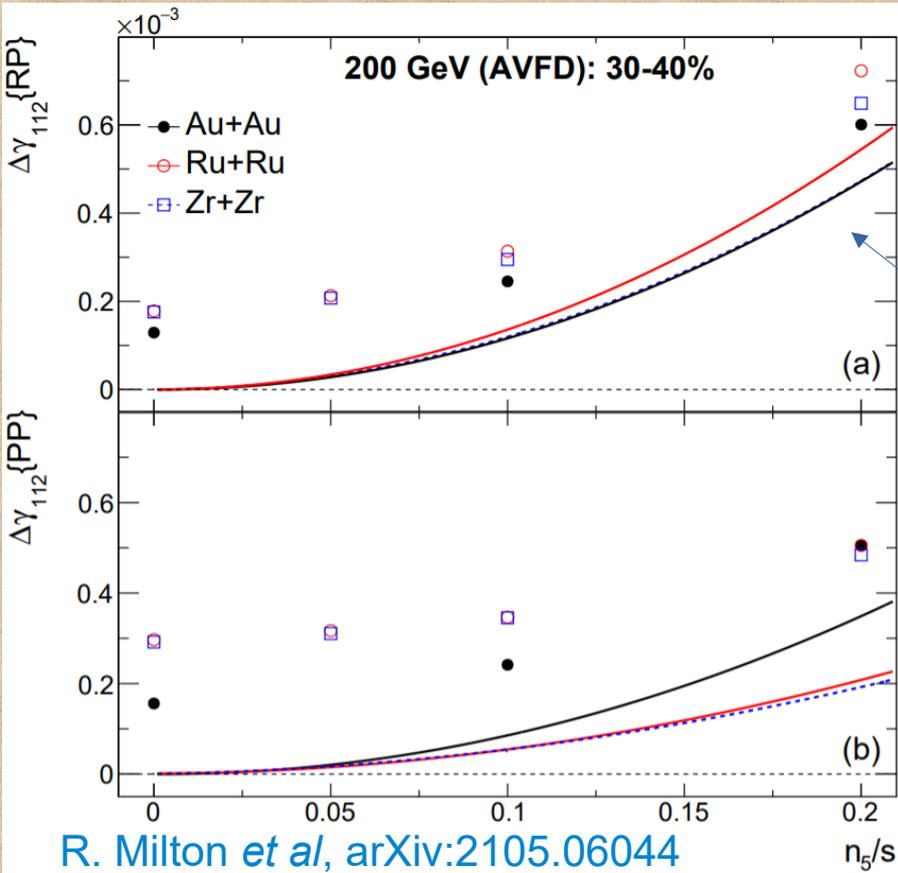
Upper limit (95% CL):

1.0066 for κ_{112} ratio;
 $\sim 5\%$ for f_{CME} .

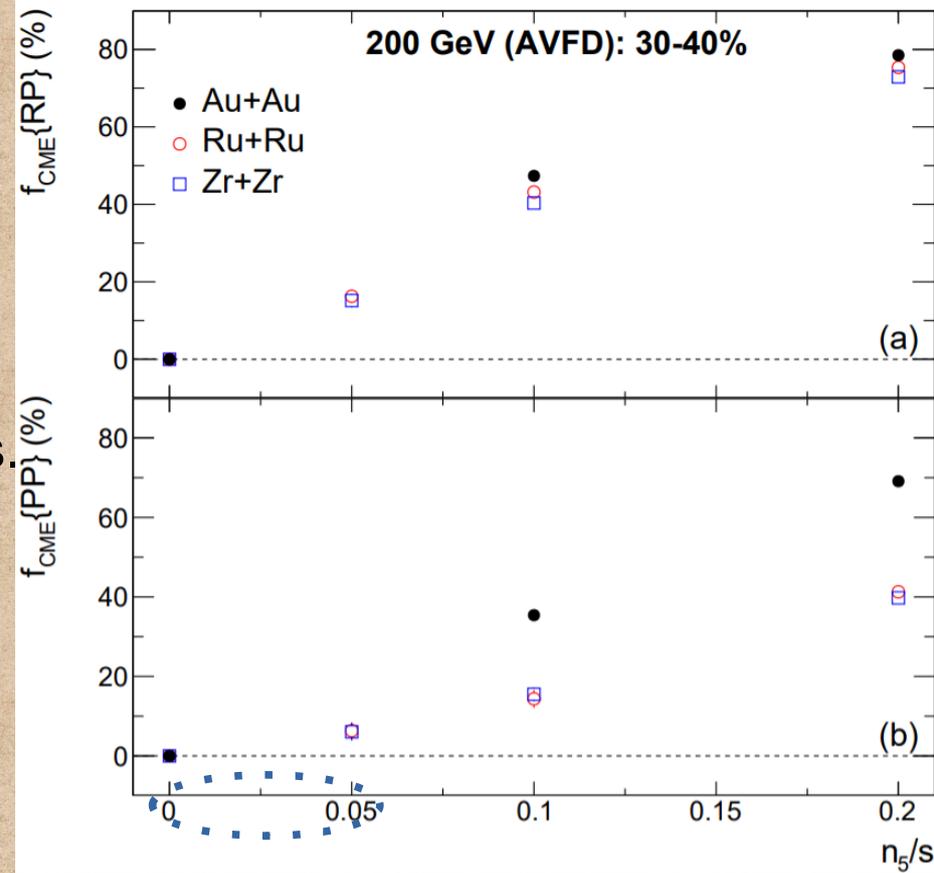


Small interpolation before taking ratios. 17

Why f_{CME} so low?



Lines are true signals.



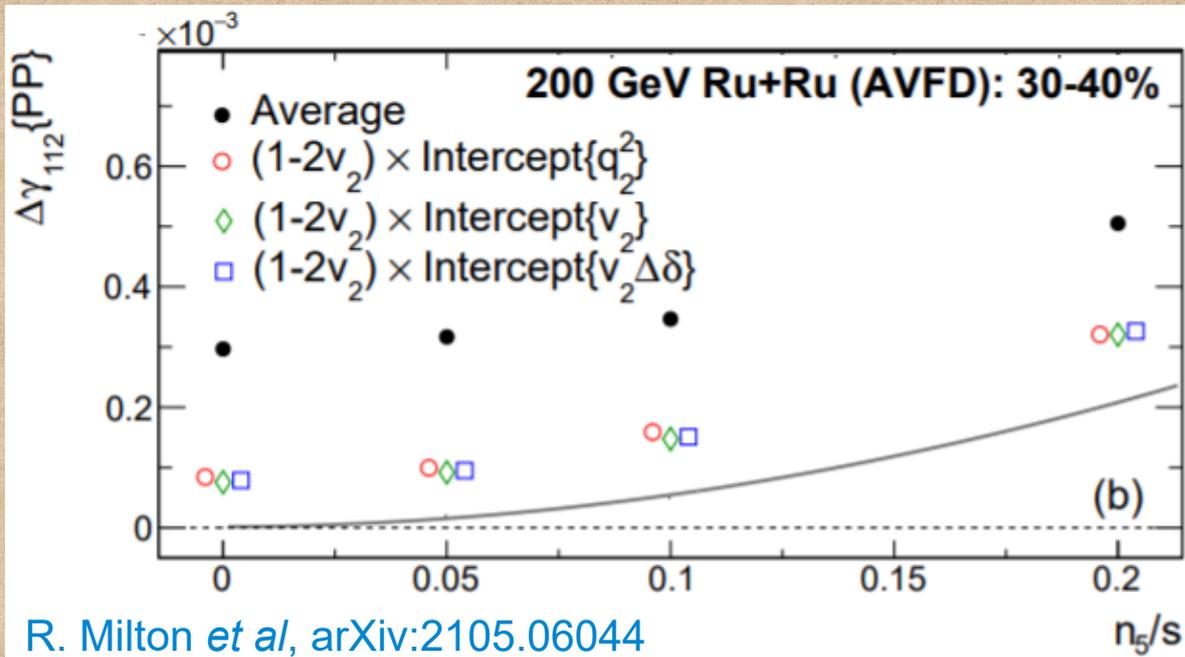
AVFD: f_{CME} is smaller in isobar than Au+Au, especially with participant plane.

smaller system \rightarrow larger fluctuation \rightarrow larger BKG & smaller CME signal \rightarrow lower f_{CME} 18

Conclusion and outlook

The blind analysis of isobar data was successfully performed.

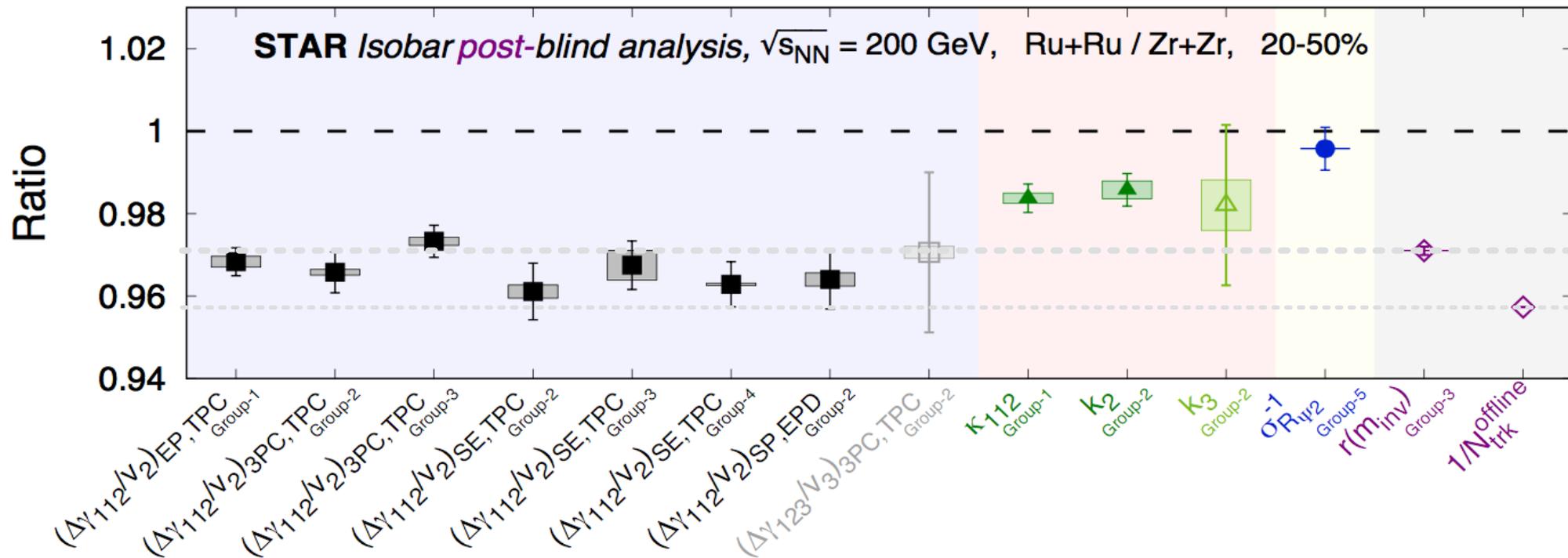
- Procedures were well documented and strictly followed.
- Good consistency among 5 groups.
- In 20-50% centrality, upper limit (95% CL): 1.0066 for κ_{112} ratio, or roughly 5% for f_{CME} .



- Multiplicity mismatch is temporarily handled with simple interpolations. **Not the best way.**
- Should match both v_2 and M.
- Event-shape-engineering could enhance f_{CME} by suppressing BKG.

Backup slides

Post-blinding



Why are ratios of $\Delta\gamma/v_2$ below unity? Better baselines are needed.
Alternative baselines also do not present a clear case for the CME.
Ratios should be taken at the matching multiplicity.